

Lecture/Laboratory #4 & #5

Outline

1. Review transistors from previous lecture
2. Discussion laboratory work
3. Transistors (cont.)
 - Common Emitter Ampl., Emitter Follower
 - Differential ampl.
 - “Rule of Thumb” for transistors use
 - Data for 2N 3904 transistor (npn silicon trans.)
4. Operational Amplifiers and Servos (Introduction)
 - General about Op-Amps
 - General about Servos

Laboratory work:

1. (a) Transistor switch (driving lamp)
(b) Darlington pair (driving motor)
2. “O-order” servo with op-amp
 - Introduction to Data Table of “747” Op-Amp
 - Current in motor (measurements); damping time.

Bipolar Transistor

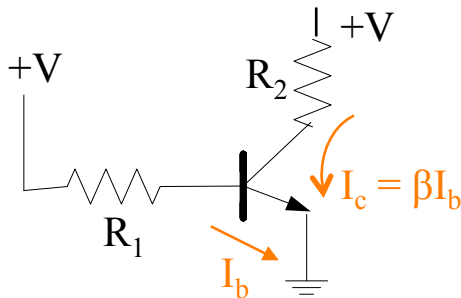
The basic rules for npn transistors (for pnp polarity is reversed):

1. Collector – must be more positive than emitter
2. Base – emitter and base-collector circuits behave like diodes (normally base-emitter diode is conducting and base-collector diode is reverse-biased). However collector current changes a little with applied voltage, whereas diode current changes strongly with voltage.
3. For given transistor \rightarrow max. values of I_c , I_b , and V_{ce}
4. Relation between I_c and I_b :

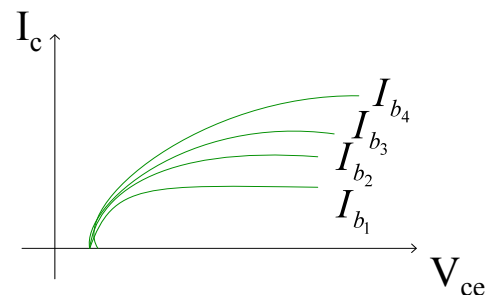
$$I_c = h_{fe} I_b = \beta I_b \leftarrow \text{small changes in } I_b \Rightarrow \text{large changes in } I_c$$

h_{fe} (or β) is gain (≈ 100)

Both I_c and I_b are flowing to the emitter: $I_e = I_c + I_b = (\beta + 1)I_b$



“Saturation” – collector saturation voltage at given I_b



$$V_{ce}(\text{sat.}) \approx 0.05 - 0.2 \text{ V}$$

Transistors (cont.)

Example: $V = +5\text{V}$, $R_1 = 1\text{ M}\Omega$

$$I_b = 5\text{ }\mu\text{A} \text{ (actually } 4.4\text{ }\mu\text{A ,}$$

because 0.6 V drop on base-emitter trans.)

$$V_{be} \approx 0.6\text{ V} \Rightarrow V_e = V_b - 0.6\text{ V}$$

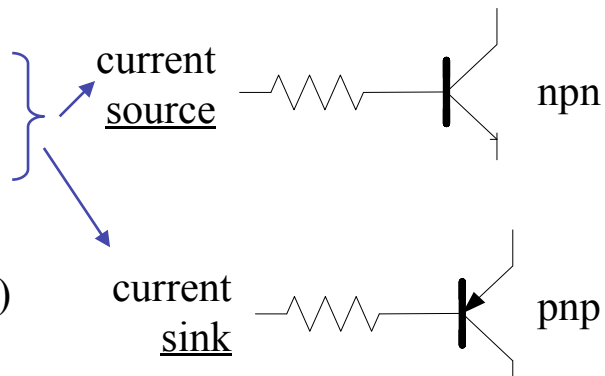
$$\text{If } R_2 = 0 \Rightarrow I_c = 500\text{ }\mu\text{A}$$

$$\text{If } R_2 = 10\text{ k}\Omega \Rightarrow I_c = 500\text{ }\mu\text{A} - \text{just at saturation } (V_{ce} \approx V_e)$$

$$\text{If } R_2 = 1\text{ M}\Omega \Rightarrow I_c = 5\text{ }\mu\text{A} \rightarrow V_{ce} \Rightarrow 0$$

Bipolar transistors are current devices

Most digital logic outputs are current sink (pnp – transistors)

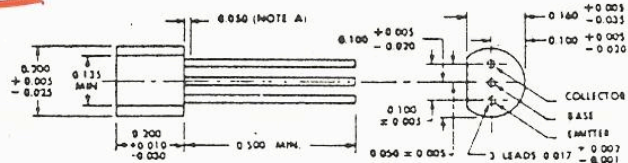


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FOR GENERAL PURPOSE SATURATED-SWITCHING AND AMPLIFIER APPLICATIONS

- mechanical data

2N3903, 2N3904



* ALL JEDEC TO-92 DIMENSIONS AND NOTES ARE APPLICABLE



2N5739A

0.140
± 0.001

0.100
± 0.001

0.185
± 0.001

0.180 T.P.

0.300 MIN.

0.015
NOTE A

1. EMITTER

0.050 T.P.

2. BASE

0.017 ± 0.001
DIA.

3 LEADS

0.160
± 0.001

3. COLLECTOR

NOTES: A. Lead diameter is not controlled in this area.
B. Leads having maximum diameter (0.019) shall be within 0.007 of their true positions measured in the gaging plane 0.054 below the seating plane of the device relative to a maximum-diameter package.
C. All dimensions are in inches.



✓ Collector-Base Voltage	60 V*
✓ Collector-Emitter Voltage (See Note 1)	40 V*
✓ Emitter-Base Voltage	6 V*
✓ Continuous Collector Current	200 mA*
✓ Continuous Device Dissipation at (or below) 25°C Free-Air Temperature (See Note 2)	<div><div>625 mW§</div><div>310 mW*</div></div>
✓ Storage Temperature Range	<div><div>-65°C to 150°C§</div><div>-55°C to 135°C*</div></div>
✓ Lead Temperature 1/16 Inch from Case for 60 Seconds	<div><div>260°C§</div><div>230°C*</div></div>

2. Derate the 625-mW rating linearly to 150°C free-air temperature at the rate of 5 mW/°C. Derate the 310-mW (JEDEC registered) rating linearly to 135°C free-air temperature at the rate of 2.81 mW/°C.

§ Texas Instruments guarant

Values in parentheses govern over those values in addition to the values registered values which are also shown.

USES CHIP N14

TYPES 2N3903, 2N3904, A5T3903, A5T3904
N-P-N SILICON TRANSISTORS

*electrical characteristics at 25°C free-air temperature

✓ 2N3904

PARAMETER	TEST CONDITIONS	2N3903, A5T3903		2N3904, A5T3904		UNIT
		MIN	MAX	MIN	MAX	
$V_{(BR)CBO}$ Collector-Base Breakdown Voltage	$I_C = 10 \mu A, I_E = 0$	60		60		V
$V_{(BR)CEO}$ Collector-Emitter Breakdown Voltage	$I_C = 1 mA, I_B = 0$, See Note 3	40		40		V
$V_{(BR)EBO}$ Emitter-Base Breakdown Voltage	$I_E = 10 \mu A, I_C = 0$	6		6		V
I_{CEV} Collector Cutoff Current	$V_{CE} = 30 V, V_{BE} = -3 V$		50		50	nA
I_{BEV} Base Cutoff Current	$V_{CE} = 30 V, V_{BE} = -3 V$		-50		-50	nA
h_{FE} Static Forward Current Transfer Ratio	$V_{CE} = 1 V, I_C = 100 \mu A$	20		40		
	$V_{CE} = 1 V, I_C = 1 mA$	35		70		
	$V_{CE} = 1 V, I_C = 10 mA$	50	150	100	300	
	$V_{CE} = 1 V, I_C = 50 mA$, See Note 3	30		60		
	$V_{CE} = 1 V, I_C = 100 mA$	15		30		
V_{BE} Base-Emitter Voltage	$I_B = 1 mA, I_C = 10 mA$ $I_B = 5 mA, I_C = 50 mA$, See Note 3	0.65	0.85	0.65	0.85	V
$V_{CE(sat)}$ Collector-Emitter Saturation Voltage	$I_B = 1 mA, I_C = 10 mA$ $I_B = 5 mA, I_C = 50 mA$, See Note 3		0.2		0.2	V
			0.3		0.3	
h_{ie} Small-Signal Common-Emitter Input Impedance	$V_{CE} = 10 V,$ $I_C = 1 mA,$ $f = 1 kHz$	1	8	1	10	k Ω
h_{fe} Small-Signal Common-Emitter Forward Current Transfer Ratio		50	200	100	400	
h_{re} Small-Signal Common-Emitter Reverse Voltage Transfer Ratio		0.1 x 10 ⁻⁴	5 x 10 ⁻⁴	0.5 x 10 ⁻⁴	8 x 10 ⁻⁴	
h_{oe} Small-Signal Common-Emitter Output Admittance		1	40	1	40	μmho
$ h_{fe} $ Small-Signal Common-Emitter Forward Current Transfer Ratio		2.5		3		
f_T Transition Frequency	$V_{CE} = 20 V, I_C = 10 mA$, See Note 4	250		300		MHz
C_{obo} Common-Base Open-Circuit Output Capacitance	$V_{CB} = 5 V, I_E = 0,$ $f = 100 kHz$ to 1 MHz		4		4	pF
C_{ibo} Common-Base Open-Circuit Input Capacitance	$V_{EB} = 0.5 V, I_C = 0,$ $f = 100 kHz$ to 1 MHz		8		8	pF

NOTES: 3. These parameters must be measured using pulse techniques. $t_w = 300 \mu s$, duty cycle $\leq 2\%$.

4. To obtain f_T , the $|h_{fe}|$ response with frequency is extrapolated at the rate of -6 dB per octave from $f = 100 MHz$ to the frequency at which $|h_{fe}| = 1$.

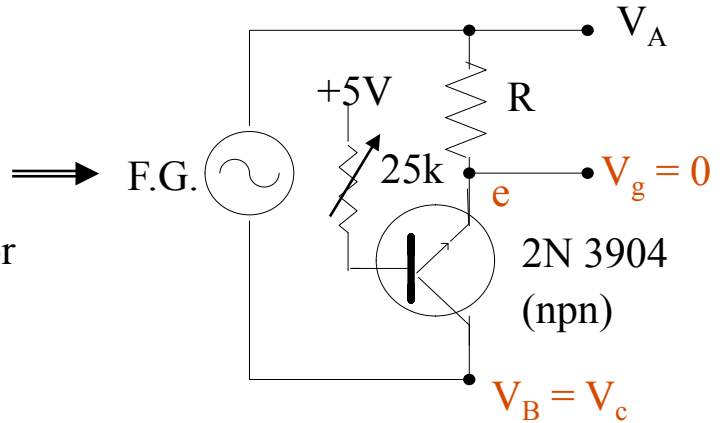
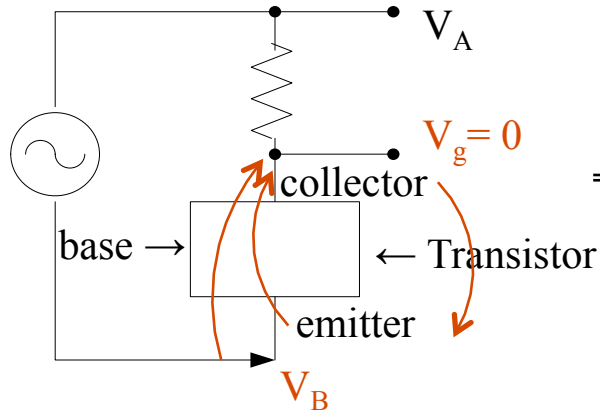
*operating characteristics at 25°C free-air temperature

PARAMETER	TEST CONDITIONS	2N3903, A5T3903		2N3904, A5T3904		UNIT
		MIN	MAX	MIN	MAX	
\overline{NF} Average Noise Figure	$V_{CE} = 5 V, I_C = 100 \mu A, R_G = 1 k\Omega,$ Noise Bandwidth = 15.7 kHz, See Note 5		6		5	dB

NOTE 5: Average Noise Figure is measured in an amplifier with response down 3 dB at 10 Hz and 10 kHz and a high-frequency rolloff of 6 dB/octave.

*The asterisk identifies JEDEC registered data for the 2N3903 and 2N3904 only.

Transistors : Load Curve → Curve Tracer



$$V_{be} = 0.6 \text{ V} \quad V_e = 0$$

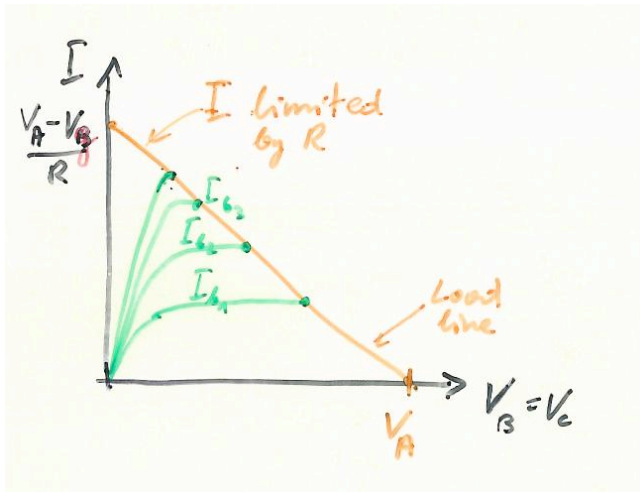
$$V_b = 0.6 \text{ V}$$

$$V_c = V_A - I_c R$$

$$I_b = .2 \text{ mA}$$

$$h_{fc} = 100 \rightarrow I_c = I = 20 \text{ mA}$$

$$h_{fe} = 10 \rightarrow I_c = 10 \text{ mA}$$



In Laboratory

- Build simple circuit with npn transistor \Rightarrow choose R and obtain curve tracers
- Look for sensitivity of I_c vs I_b
- Establish conditions for saturations

Voltage Amplifier

$$V_b = V_e + 0.6 \text{ V}$$

$$\Delta V_b = +0.005 \text{ V}$$

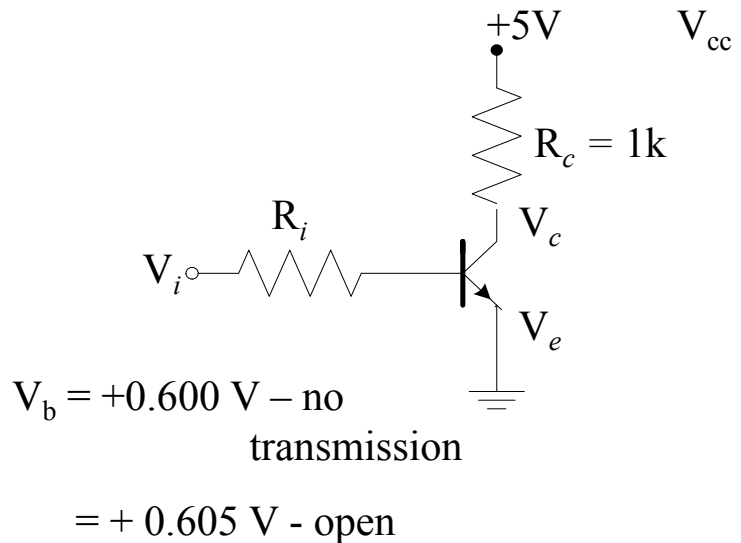
$$\Delta I_b = \Delta V_b / R_i =$$

$$= \frac{0.005 \text{ V}}{1 \times 10^3 \Omega} = 5 \mu\text{A}$$

$$\Delta I_c = \beta \Delta I_b \approx 500 \mu\text{A}$$

$$-\Delta V_c = R_c \Delta I_c = 0.5 \text{ V}$$

Note: Reverse voltage change between base and collector



$$\Delta V_{\text{base}} = \underline{0.005 \text{ V}} \text{ leads to}$$

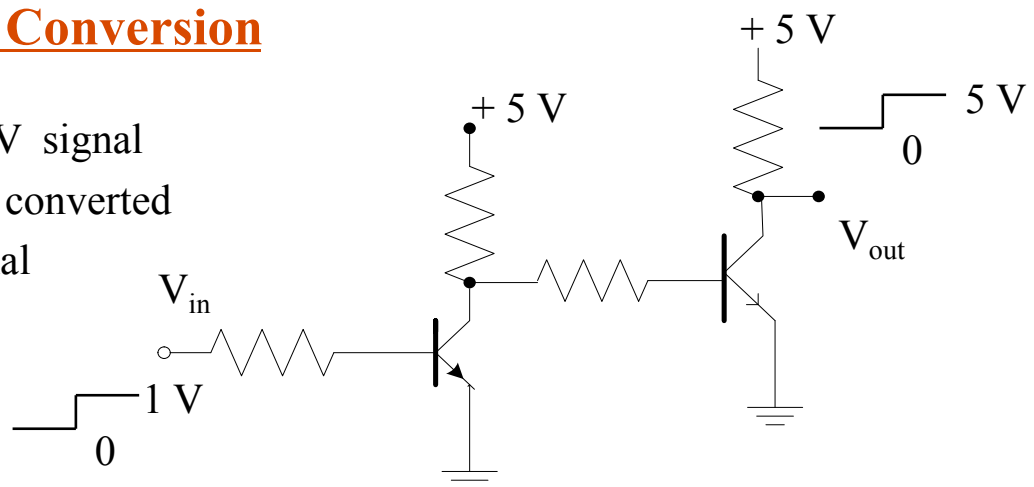
$$\Delta V_{\text{coll.}} = \underline{-0.5 \text{ V}}$$

Voltage amplification

(amplification 100, which is equal to gain $\beta = 100$)

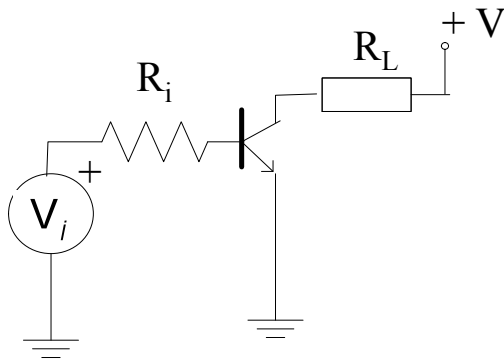
- Voltage Conversion

We have 0 – 1 V signal which has to be converted to 0 – 5 V signal

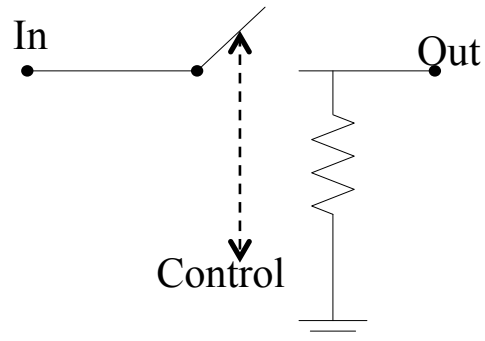


Transistor Switch

Transistor switch is most common use of bipolar transistor



Analog switch



Use to switch analog signal
"ON" and "OFF"

Conduction: $V_i > +0.6 V$ ("ON")

$V_i \leq +0.6 V$ ("OFF")

$$I_{c \max} = \frac{V}{R_L} \quad I_b = \frac{V_i}{R_i} \Rightarrow \begin{array}{ll} \text{ON} & \text{if } \frac{V_i}{R_i} \leq \frac{V}{R_L} \frac{1}{\beta} \\ \text{OFF} & \text{Else} \end{array}$$

Laboratory:

Build Transistor switch with R_L as a lamp. Observe conditions on transistor with lamp "ON" and "OFF".

Darlington Pair

$$I_{b_1} = \frac{V_i}{R_i}$$

$$I_{c_1} = \beta_1 I_{b_1}$$

$$I_{e_1} = (\beta_1 + 1) I_{b_1}$$

$$I_{e_1} = I_{b_2}$$

$$I_{e_2} = (\beta_2 + 1) I_{b_2} =$$

$$= (\beta_2 + 1)(\beta_1 + 1) I_{b_1}$$

$$\beta_1 \gg 1 \quad \beta_2 \gg 1$$

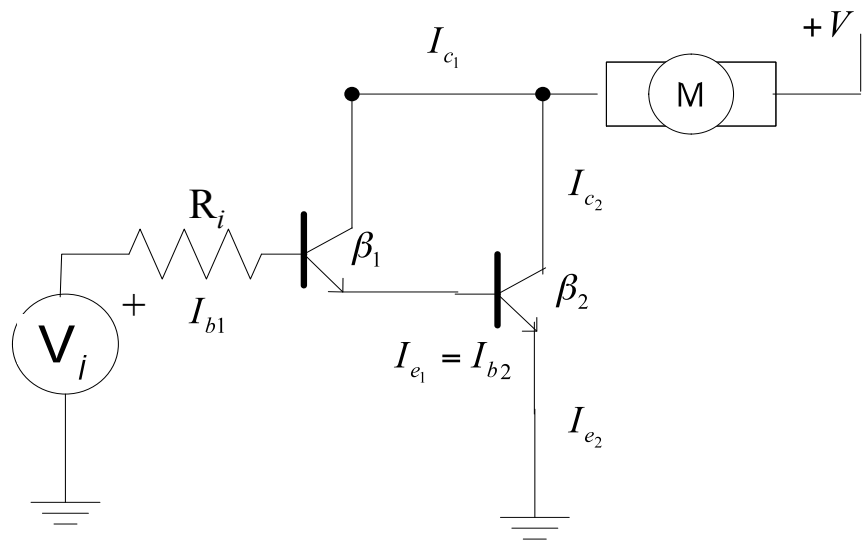
$$I_{e_2} \approx I_{c_2} \approx \beta_2 \beta_1 I_{b_1}$$

$$I_M = I_{c_2} + I_{c_1} \approx (\beta_2 \beta_1 + \beta_1) I_{b_1}$$

$$\underbrace{I_M \approx \beta_2 \beta_1 I_{b_1}}$$

Motor impedance R_M

$$I_{c_2 \max} = \frac{+V}{R_M}$$



npn - Darlington

Darlington pair – when you need power, and single transistor would burn (e.g. running motor) Darlington transistors are available as single packages.

Example: npn power

Darlington 2N6285

with $\beta_2 \beta_1 \approx 4000$ and

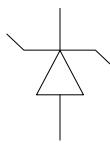
$$I_{c_2} \approx 10 \text{ A}$$

Laboratory

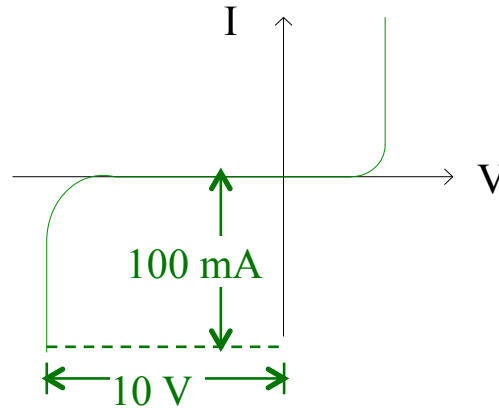
Use Darlington Pair to drive motor. Measure current on motor.

By-Pass Transistor with Zeener Diode

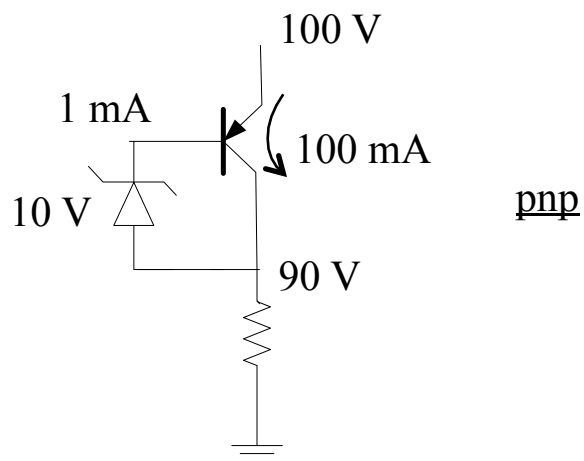
Zeener diode:



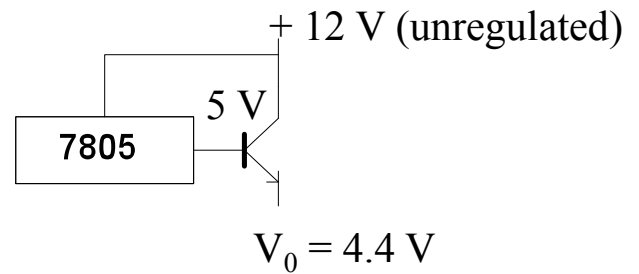
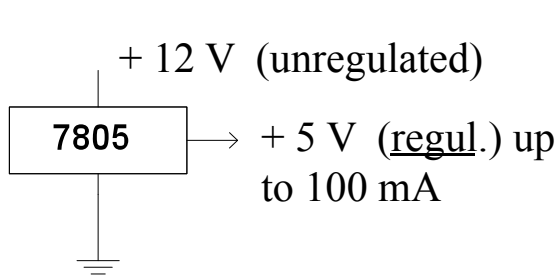
up to 100 mA ~
const. $V = 10\text{ V}$
 $P \approx 1\text{ W}$



Zeener provides
constant 10 V drop
for different base
currents.



Voltage Regulator

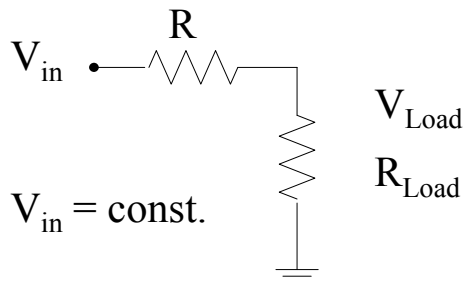


$$\text{if } V_0 < 4.4 \text{ V} \Rightarrow I_b \uparrow \Rightarrow V_0 \uparrow$$

$$\text{if } V_0 > 4.4 \text{ V} \Rightarrow I_b \downarrow \Rightarrow V_0 \downarrow$$

Transistor Current Source

The simplest approximation



Very poor current source (most power dissipates in R – lost)

If $V_{Load} \ll V_{in}$ I is nearly constant (small load effect) and

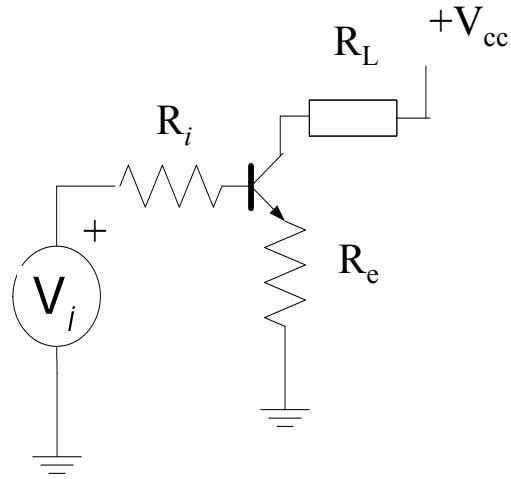
$$I = \frac{V_{in} - V_{Load}}{R} \approx \frac{V_{in}}{R} = \text{const.}$$

Transistor Current Source (cont.)

With transistor:

V_{cc} – source voltage on collector side

V_c – collector voltage



Transistor : for $V_b > 0.6 \text{ V}$ emitter conducting

$$V_e = V_b - 0.6 \text{ V} \Rightarrow I_e = V_e / R_e$$

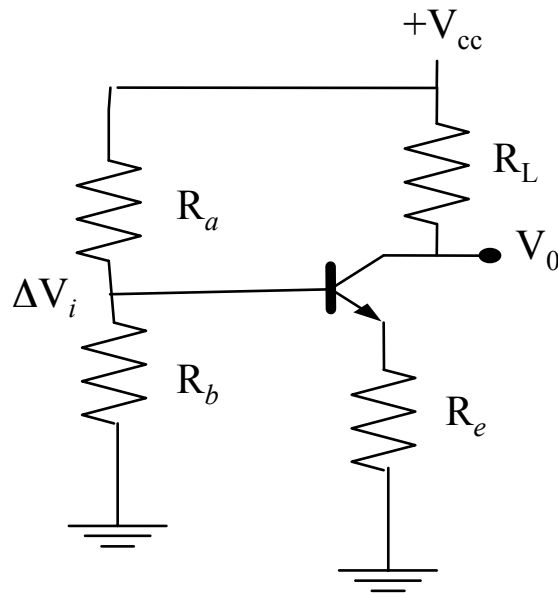
For large β : $I_c \approx I_e = (V_b - 0.6 \text{ V}) / R_e \Rightarrow I_c \approx f(V_{cc})$

current source

Current source for unsaturated transistor ($V_c > V_e + 0.2 \text{ V}$)

Common Emitter Amplifier

If in transistor current source circuit we replace load by resistor R_L and use voltage divider R_a / R_b for base voltage \Rightarrow we will have so called Common Emitter Amplifier



$$V_b = \frac{R_b}{R_a + R_b} V_{cc}$$

$$V_e = V_b - 0.6 \text{ V} \quad I_e = V_e / R_e \quad I_e \approx I_c$$

$$V_0 = V_{cc} - I_c R_L = V_{cc} - [(V_b - 0.6 \text{ V}) / R_e] R_L$$

$$\Delta V_0 = -\Delta V_b \frac{R_L}{R_e} = -\Delta V_i \frac{R_L}{R_e}$$

$$\boxed{\frac{\Delta V_0}{\Delta V_i} = \text{gain} = -\frac{R_L}{R_e}}$$

If $R_e = 0 \rightarrow$ internal dynamic intrinsic (r_e) resistance of transt. becomes important ($r_e \approx 25 \Omega$)

For $R_e = 0 \rightarrow$ called Grounded Emitter Amplifier

Emitter Follower

When you need input impedance much higher than output impedance \Rightarrow you can use emitter follower.

It is called E.F. because output is emitter, which follows the input (base) with one diode drop (0.6 V)

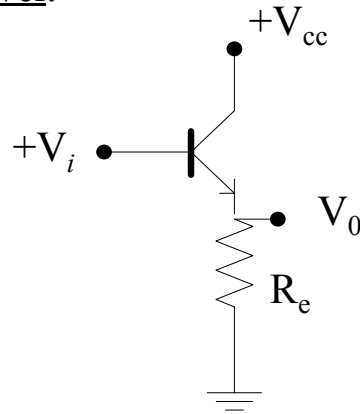
$$V_e = V_b - 0.6 \text{ V} ; \quad V_0 \approx V_i - 0.6 \text{ V}$$

$$(\Delta V_0 \approx \Delta V_i)$$

and $V_i > 0.6 \text{ V}$ for $V_0 > 0$

(If instead of grounded resistor R_e in emitter we would use negative voltage supply, we could use $V_i < 0$)

No collector resistance



$$\Delta I_e = \Delta V_0 / R_e \approx \Delta V_i / R_e \Rightarrow \Delta V_0 = \Delta I_e R_e \text{ and } \Delta V_0 = (\beta + 1) \Delta I_b R_e$$

$$\Delta V_i = \Delta I_b R_{eff} \Rightarrow \Delta V_i = \frac{\Delta V_0 R_{eff}}{(\beta + 1) R_e} \Rightarrow \Delta V_i \approx \Delta V_0$$

R_{eff} – effective input impedance

$$R_{eff} = (\beta + 1) R_e \approx \beta R_e$$

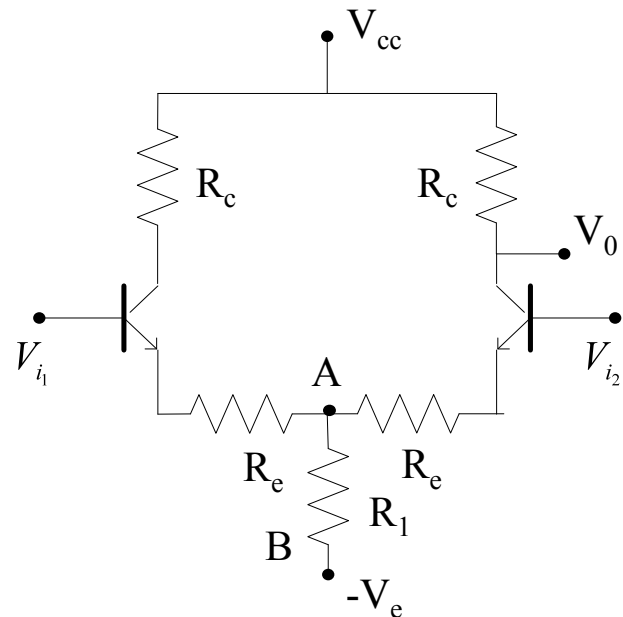
Effectively high input impedance for not so high output impedance R_e (for $R_e = 1 \text{ k}\Omega \rightarrow R_{eff} \approx 100 \text{ k}\Omega$!)

Differential Amplifier

Differential amplifier (DA) → to amplify the voltage difference between two input signals. In ideal DA only difference between two input signals is important.

Common-mode input change → when both inputs change levels together.

Normal-mode (differential mode)
→ differential change



Common-mode rejection ratio (CMRR) → the ratio of response for a normal-mode signal to the common-mode signal of the same amplitude. Good DA has high CMRR

Gain G_{diff} of DA in normal mode:

Let have $\Delta V_{i1} = -\Delta V_{i2}$

$$G_{diff} = \frac{\Delta V_{0(out)}}{\Delta(V_{i1} - V_{i2})_{in}} = \frac{\Delta V_0}{2\Delta V_i} \quad \leftarrow \text{Pt } \underline{A} \text{ fixed}$$

Differential Amplifier (cont.)

$$\left. \begin{aligned} I_c &= \frac{V_{cc} - V_0}{R_c} \rightarrow \Delta I_c = -\frac{\Delta V_0}{R_c} \\ \Delta I_c &\approx \Delta I_e = \frac{\Delta V_i}{R_e + r_e} \end{aligned} \right\} \Rightarrow \frac{\Delta V_0}{\Delta V_i} = -\frac{R_c}{R_e + r_e}$$

$$G_{diff} = -\frac{R_c}{2(R_e + r_e)}$$

$$G_{CM} = -\frac{R_c}{2R_1 + R_e + r_e} \quad \leftarrow \text{Pt } \underline{B} \text{ fixed}$$

$$CMRR = G_{diff} / G_{CM} = \frac{2R_1 + R_e + r_e}{2(R_e + r_e)}$$

$$G_{CM} = \frac{\Delta V_0}{\Delta V_i^*} \quad I_c = \frac{V_{cc} - V_0}{R_c}, \quad I_e = \frac{V_i^* - V_A}{R_e + r_e}, \quad I = \frac{V_A - V_e}{R_1} = 2I_e$$

$$\Delta I_c = -\frac{\Delta V_0}{R_c} \approx \Delta I_e, \quad \Delta I_e = -\frac{\Delta V_i^* - \Delta V_A}{R_e + r_e}, \quad \Delta I = -\frac{\Delta V_A}{R_1} = 2\Delta I_e$$

Differential Amplifier (cont.)

$$\frac{\Delta V_i^* - \Delta V_A}{R_e + r_e} = \frac{\Delta V_A}{2R_1} \Rightarrow \Delta V_i^* = \Delta V_A \frac{2R_1 + R_e + r_e}{2R_1}$$

$$\text{where } \Delta V_A = -\Delta V_0 \frac{2R_1}{R_c}$$

$$G_{CM} = \frac{\Delta V_0}{\Delta V_i^*} = -\frac{R_c}{2R_1 + R_e + r_e}$$

“Rule of Thumb” for Transistors Use

Ebers-Moll model: transistor is transconductance device → collector current (I_c) is determined by base current (I_b) or by base-to-emitter voltage (V_{be})

Ebers-Moll Equation:

$$I_c = I_s \left[\exp\left(\frac{V_{be}}{V_T}\right) - 1 \right]$$

$I_s \rightarrow$ saturation current for given T

T is absolute temperature ($^{\circ}\text{K} = ^{\circ}\text{C} + 273.16$)

$V_T = kT/q = 25.3 \text{ mV}$, q – electron charge

k – Boltzmann constant

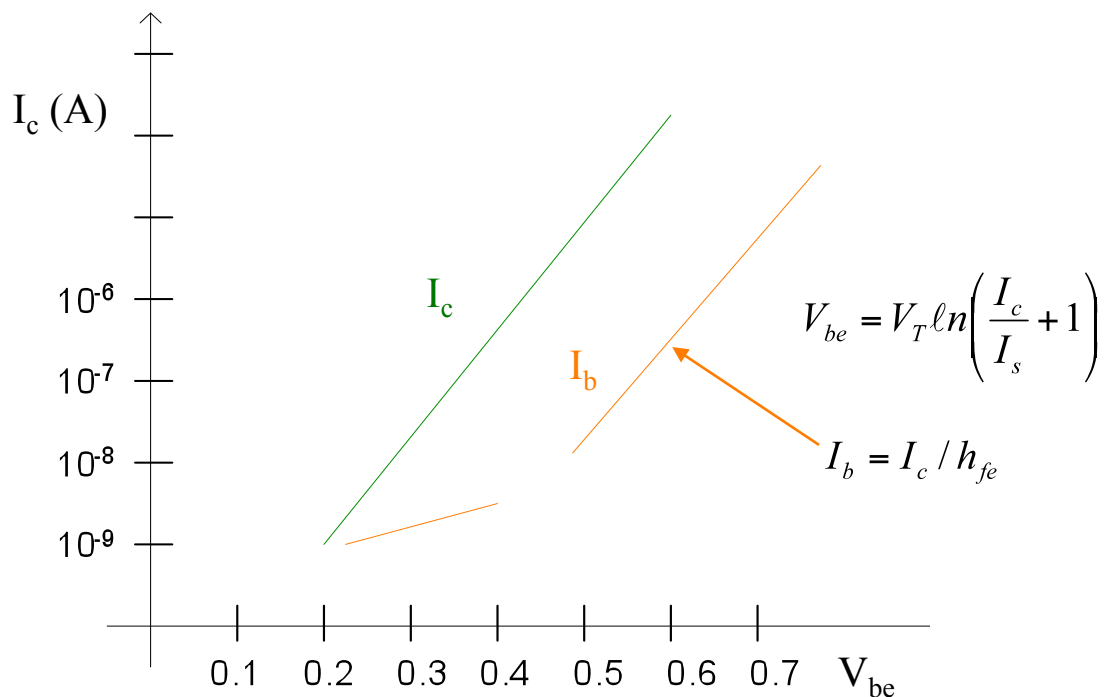
“Rule of Thumb” for Transistors Use (cont.)

Because $I_c = h_{fe} I_b \rightarrow I_b = I_c / h_{fe}$

I_s is reverse leakage current, and $I_c \gg I_s$ in the active region.

Hence 1 can be neglected in Eq. (Above eq. also describes I vs V for diode). From E – M Eq. $\Rightarrow I_c = f(V_{be})$, and $I_b = I_c / h_{fe}$

Exponential law of E – M eq. is correct for very large range of currents $\Rightarrow \underline{nA \rightarrow mA}$ ($10^{-9} A \rightarrow 10^{-3} A$)



“Rule of Thumb” for Transistors Use (cont.)

From E – M Eq.:

- (1) The steepness of I_c curve (how much we have to increase V_{be} to increase I_c by 10x ?)

$$V_{be} = V_T \ln(10 + 1) \approx 60 \text{ mV}$$

- (2) The small – signal impedance (internal impedance) r_e :

$$r_e = \frac{dV_{be}}{dI_c} = \frac{V_T}{(I_c/I_s)+1} \frac{1}{I_s} \approx \frac{V_T}{I_c} \approx \frac{25}{I_c} \Omega$$



Intrinsic emitter resistance

(I_c in mA) in room temperature

- (3) The temperature dependence of V_{be} :

$$I_s = f(T) \Rightarrow V_{be} \sim \frac{1}{T_{abs.}} \Rightarrow \Delta V_{be} \sim -2.1 \text{ mV}/^\circ\text{K}$$

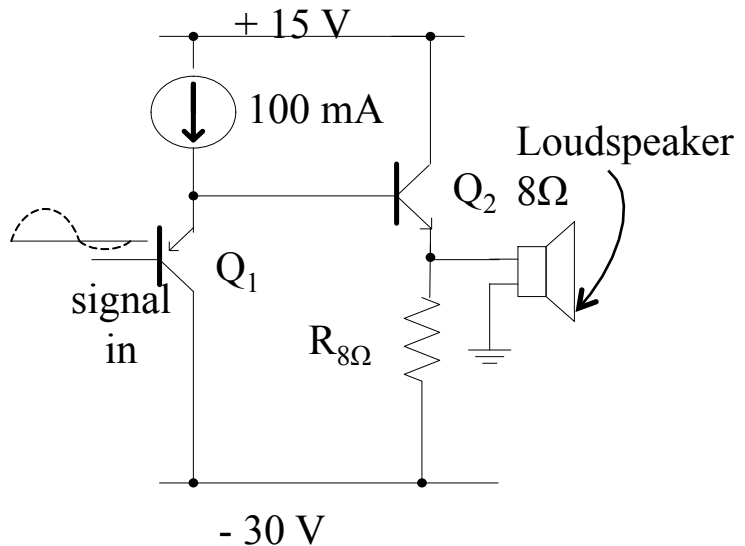
- (4) V_{be} varies slightly with changing V_{ce} at constant I_c
(Early effect) due to changing effective base width

$$\text{Approximately: } \Delta V_{be} \approx -0.001 \Delta V_{ce}$$

Push-Pull Follower

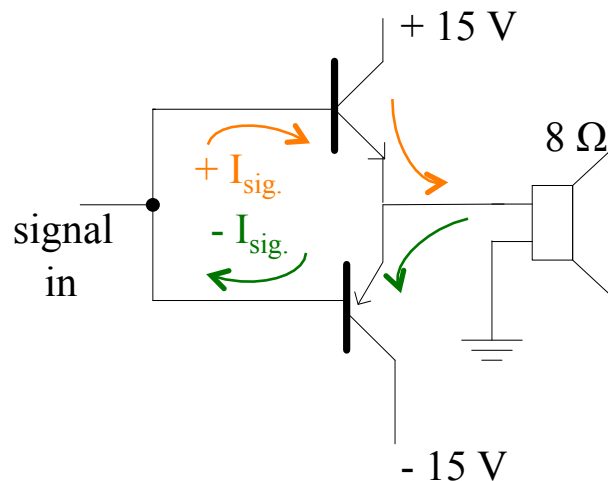
Single emitter follower with +/- voltage supplies and a ground-returned load require high quiescent current \rightarrow high quiescent power is dissipated in emitter follower ground resistor R and in transistor (Q_2) as well.

In example shown: $\underline{P_R} = 110 \text{ W}$, $\underline{P_{Q2}} = 55 \text{ W}$ for 10 W in speaker!



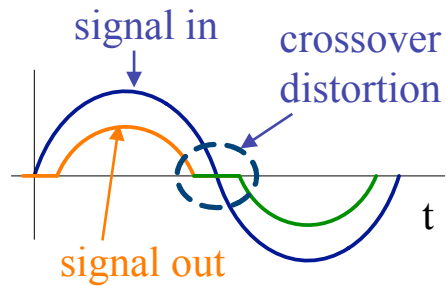
Class A amplifier \rightarrow dissipates large quiescent power – no good

Much better solution by using push-pull follower \Rightarrow 10 W in speaker and less than 10 W on each transistor with no dissipation of quiescent power.

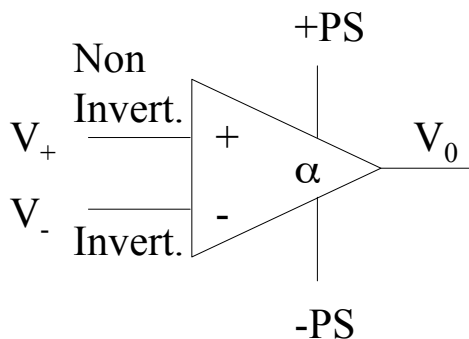


Push-Pull Follower (cont.)

Some crossover distortion



Operational Amplifiers (Op-Amp) and Servos



Very high gain α

$$V_0 = \alpha(V_+ - V_-)$$

$$\alpha \sim 10^5 - 10^6 \text{ (or higher)}$$

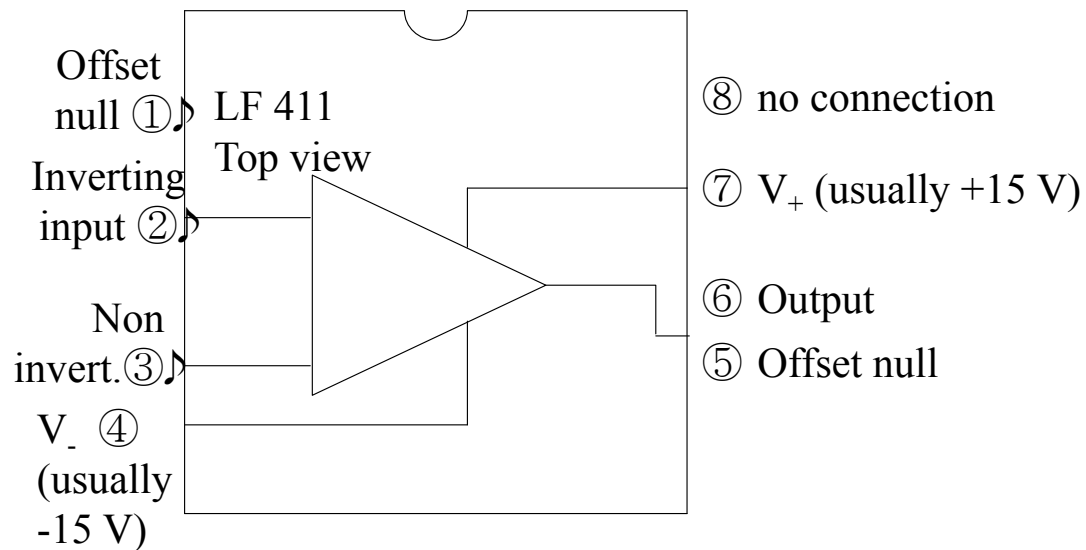
Because so high α Op-amp working almost always with feedback

High input impedance $> 1 \text{ M}\Omega$

Low output impedance $< 1 \text{ k}\Omega$ (can be very low)

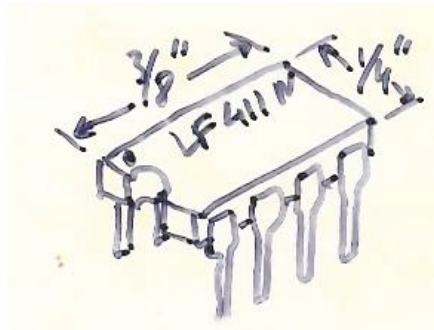
Operational Amplifiers (Op-Amp) and Servos (cont.)

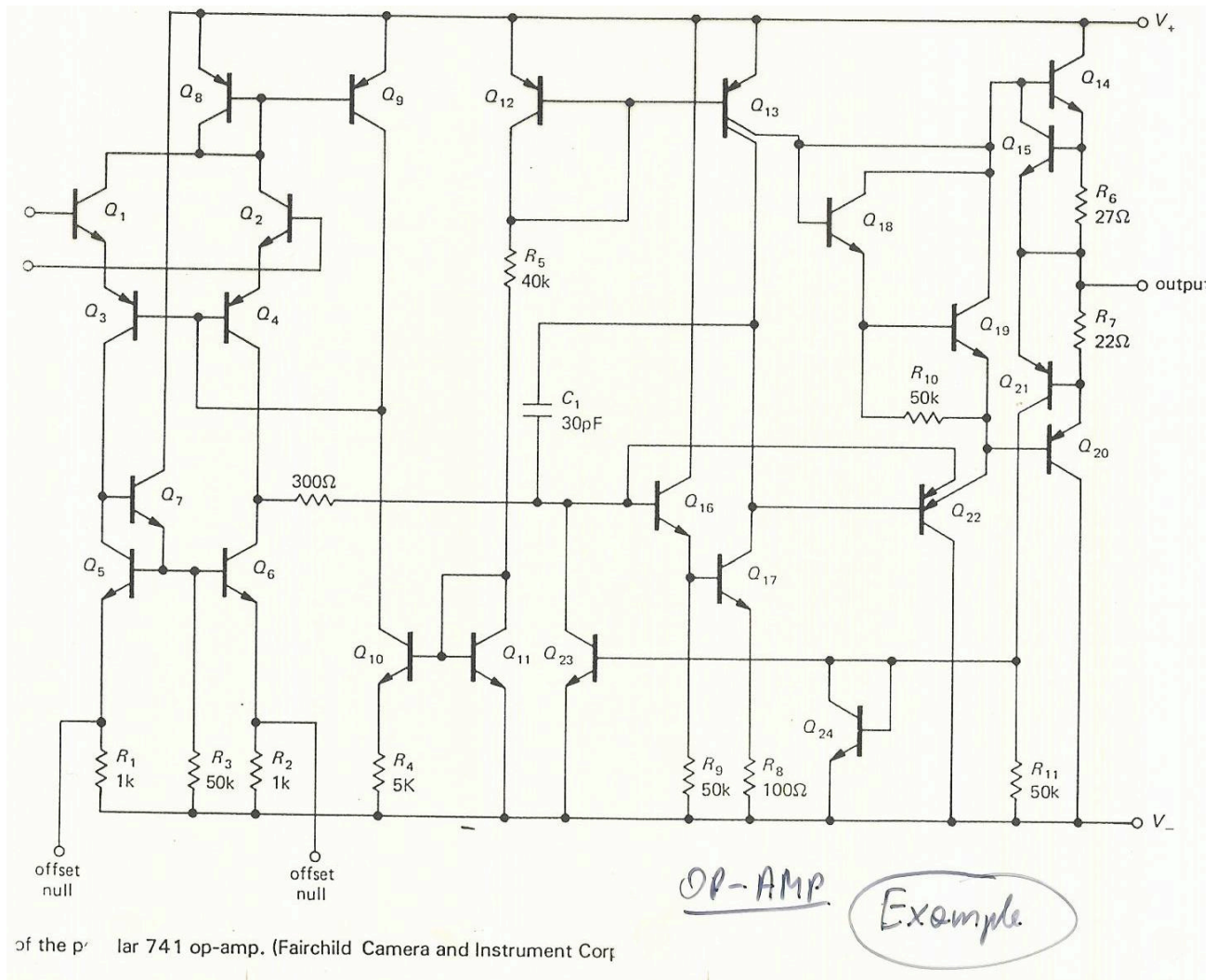
Slow Op-amp consists of a number of elements (example)



Mini-DIP Integrated ckt. (1 C)

DIP → dual-in-line package





DUAL OPERATIONAL AMPLIFIER

μ A747/747C/SA747C

μ A747/747C-F,H,N
SA747C-N
 μ A747C-D

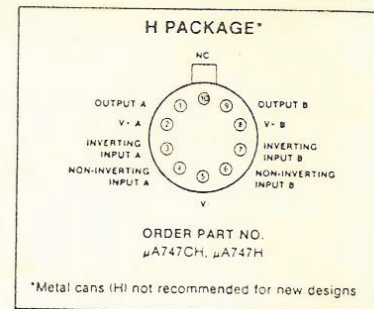
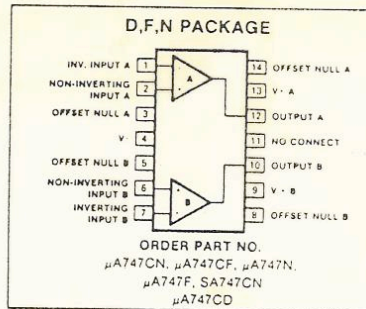
DESCRIPTION

The 747 is a pair of high performance monolithic operational amplifiers constructed on a single silicon chip. High common mode voltage range and absence of "latch-up" make the 747 ideal for use as a voltage follower. The high gain and wide range of operating voltage provides superior performance in integrator, summing amplifier, and general feedback applications. The 747 is short-circuit protected and requires no external components for frequency compensation. The internal 6dB/octave roll-off insures stability in closed loop applications. For single amplifier performance, see μ A741 data sheet.

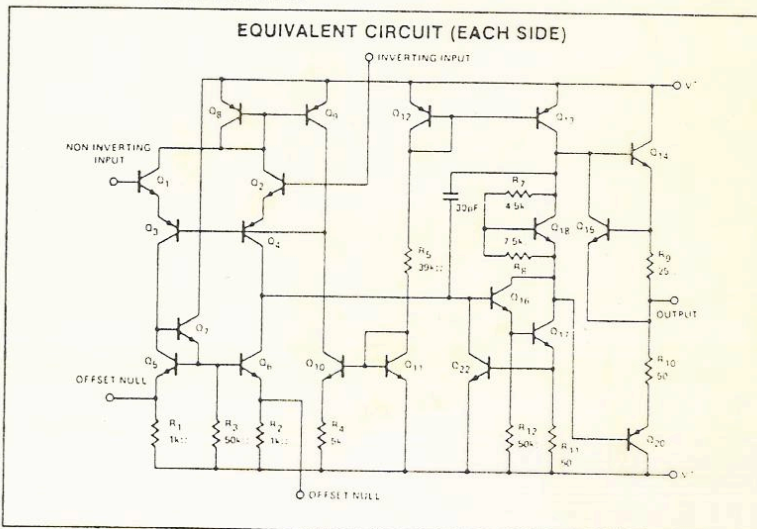
FEATURES

- No frequency compensation required
- Short-circuit protection
- Offset voltage null capability
- Large common-mode and differential voltage ranges
- Low power consumption
- No latch-up

PIN CONFIGURATIONS



EQUIVALENT SCHEMATIC



ABSOLUTE MAXIMUM RATINGS

PARAMETER	RATING	UNIT
Supply voltage		
μ A747	± 22	V
μ A747C	± 18	V
SA747C	± 18	V
Internal power dissipation		
H Package	500	mW
N,F Packages	670	mW
Differential input voltage	± 30	V
Input voltage	± 15	V
Voltage between offset null and V-	± 0.5	V
Storage temperature range	-65 to +155	$^{\circ}$ C
Operating temperature range		
μ A747	-55 to +125	$^{\circ}$ C
μ A747C	0 to +70	$^{\circ}$ C
SA747C	-40 to +85	$^{\circ}$ C
Lead temperature (soldering, 60 sec)	300	$^{\circ}$ C
Output short-circuit duration	indefinite	

DUAL OPERATIONAL AMPLIFIER

μA747/747C/SA747C

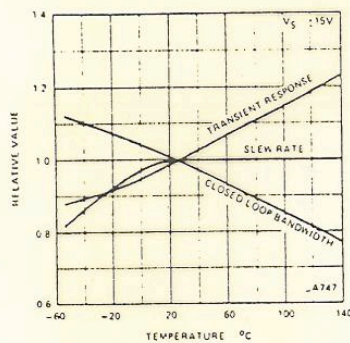
μA747/747C-F,H,N
SA747C-N
μA747C-D

DC ELECTRICAL CHARACTERISTICS $T_A = 25^\circ\text{C}$, $V_S = \pm 15\text{V}$ unless otherwise specified.

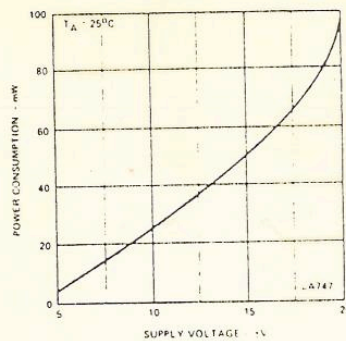
PARAMETER	TEST CONDITIONS	μA747			μA747C			UNIT
		Min	Typ	Max	Min	Typ	Max	
V_{OS} Offset voltage	$R_S \leq 10\text{k}\Omega$ $R_S \leq 10\text{k}\Omega$, over temp		2.0 3.0	5.0 6.0		2.0 3.0	6.0 7.5	mV mV
I_{OS} Offset current	$T_A = +125^\circ\text{C}$ $T_A = -55^\circ\text{C}$ Over temp		20 7.0 85	200 200 500		20 7.0 300	200 nA nA nA	nA nA nA nA
I_{BIAS} Input current	$T_A = 125^\circ\text{C}$ $T_A = -55^\circ\text{C}$ Over temp		80 30 300	500 500 1500		80 30 800	500 nA nA nA	nA nA nA nA
V_{OUT} Output voltage swing	$R_L \geq 2\text{k}\Omega$, over temp $R_L \geq 10\text{k}\Omega$, over temp	± 10 ± 12	± 13 ± 14		± 10 ± 12	± 13 ± 14		V V
I_{CC} Supply current each side	$T_A = 125^\circ\text{C}$ $T_A = -55^\circ\text{C}$ Over temp		1.7 1.5 2.0	2.8 2.5 3.3		1.7 2.0 3.3	2.8 mA mA mA	mA mA mA mA
Power consumption	$T_A = 125^\circ\text{C}$ $T_A = -55^\circ\text{C}$ Over temp		50 45 60	85 75 100		50 60 100	85 mW mW mW	mW mW mW mW
Input capacitance			1.4			1.4		pF
Offset voltage adjustment range			± 15			± 15		V
Output resistance			75			75		Ω
Channel separation			120			120		dB
$PSRR$ Supply voltage rejection ratio	$R_S \leq 10\text{k}\Omega$, over temp		30	150		30	150	$\mu\text{V/V}$
A_{VOL} Large signal voltage gain (DC)	$R_L \geq 2\text{k}\Omega$ $V_{OUT} = \pm 10\text{V}$ Over temp	50,000 25,000			25,000 15,000			V/V V/V
$CMRR$	$R_S \leq 10\text{k}\Omega$, $V_{CM} \pm 12\text{V}$ over temp	70			70			dB

TYPICAL PERFORMANCE CHARACTERISTICS (Cont'd)

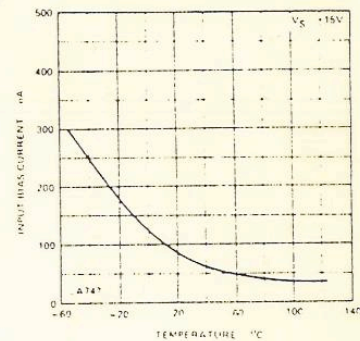
FREQUENCY CHARACTERISTICS
AS A FUNCTION OF
AMBIENT TEMPERATURE



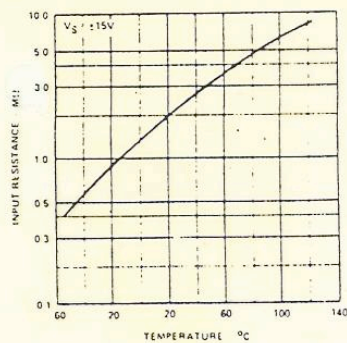
POWER CONSUMPTION
AS A FUNCTION OF
SUPPLY VOLTAGE



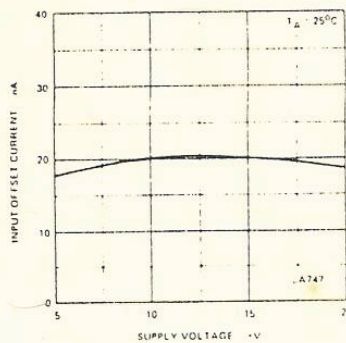
INPUT BIAS CURRENT
AS A FUNCTION OF
AMBIENT TEMPERATURE



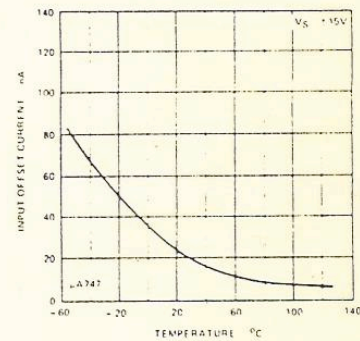
INPUT RESISTANCE
AS A FUNCTION OF
AMBIENT TEMPERATURE



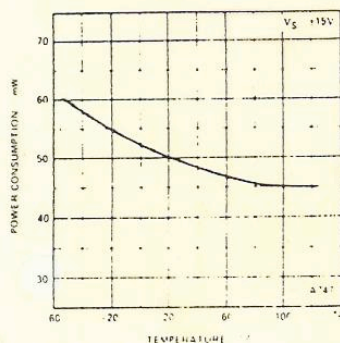
INPUT OFFSET CURRENT
AS A FUNCTION OF
SUPPLY VOLTAGE



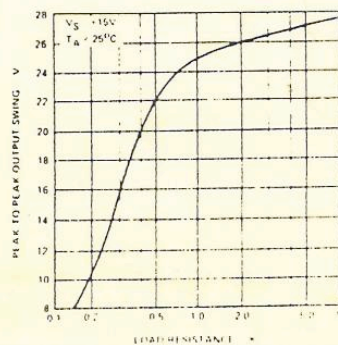
INPUT OFFSET CURRENT
AS A FUNCTION OF
AMBIENT TEMPERATURE



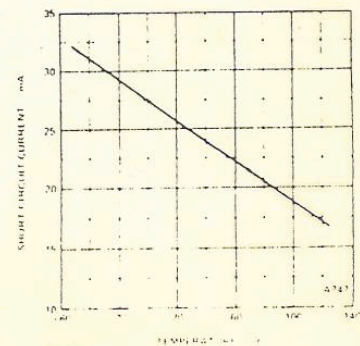
POWER CONSUMPTION
AS A FUNCTION OF
AMBIENT TEMPERATURE



OUTPUT VOLTAGE SWING
AS A FUNCTION OF
LOAD RESISTANCE



OUTPUT SHORT-CIRCUIT
CURRENT AS A FUNCTION
OF AMBIENT TEMPERATURE



DUAL OPERATIONAL AMPLIFIER

μ A747/747C/SA747C

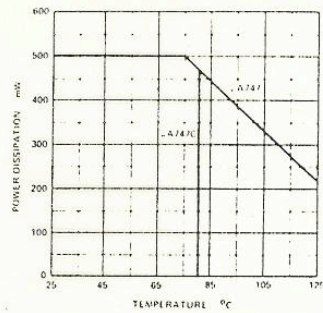
μ A747/747C-F.H.N

SA747C-N

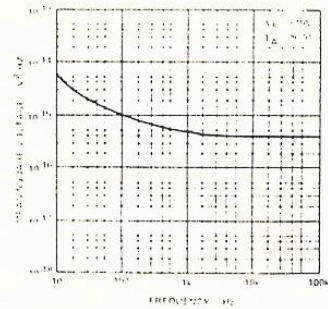
μ A747C-D

TYPICAL PERFORMANCE CHARACTERISTICS (Cont'd)

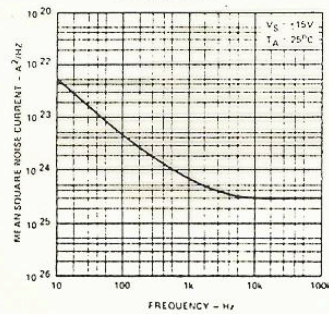
ABSOLUTE MAXIMUM POWER DISSIPATION AS A FUNCTION OF AMBIENT TEMPERATURE



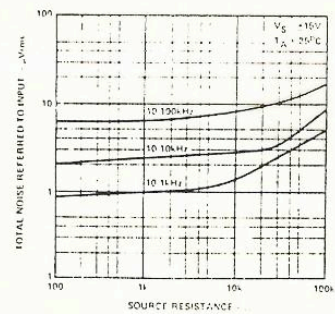
INPUT NOISE VOLTAGE AS A FUNCTION OF FREQUENCY



INPUT NOISE CURRENT AS A FUNCTION OF FREQUENCY

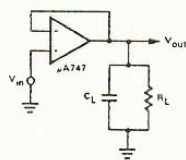


BROADBAND NOISE FOR VARIOUS BANDWIDTHS

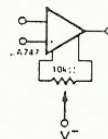


TEST CIRCUITS

TRANSIENT RESPONSE TEST CIRCUIT

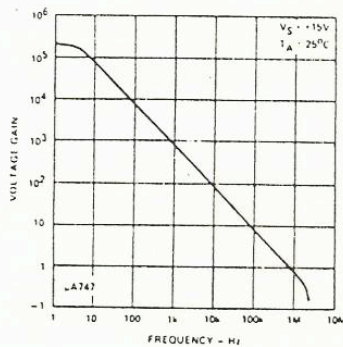


VOLTAGE OFFSET NULL CIRCUIT

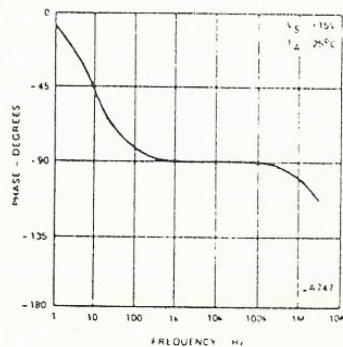


TYPICAL PERFORMANCE CHARACTERISTICS

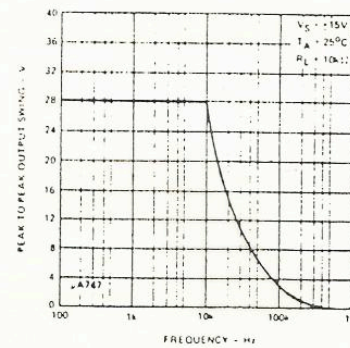
OPEN LOOP VOLTAGE GAIN
AS A FUNCTION OF
FREQUENCY



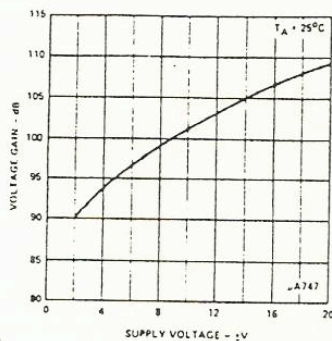
OPEN LOOP PHASE RESPONSE
AS A FUNCTION OF
FREQUENCY



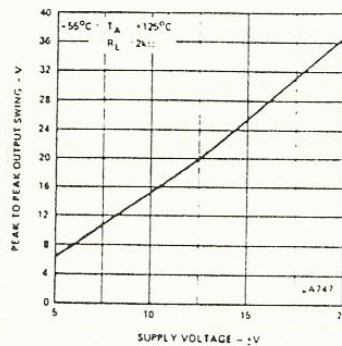
OUTPUT VOLTAGE SWING
AS A FUNCTION OF
FREQUENCY



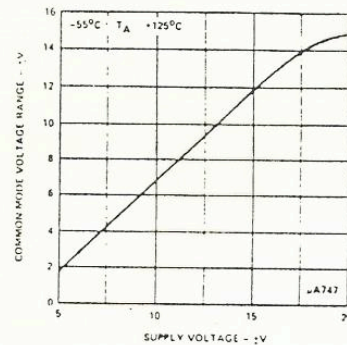
OPEN LOOP VOLTAGE GAIN
AS A FUNCTION OF
SUPPLY VOLTAGE



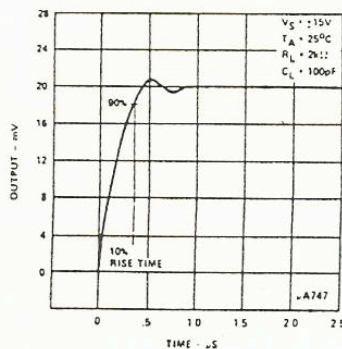
OUTPUT VOLTAGE SWING
AS A FUNCTION OF
SUPPLY VOLTAGE



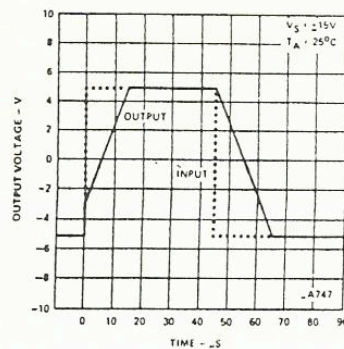
INPUT COMMON MODE VOLTAGE
RANGE AS A FUNCTION OF
SUPPLY VOLTAGE



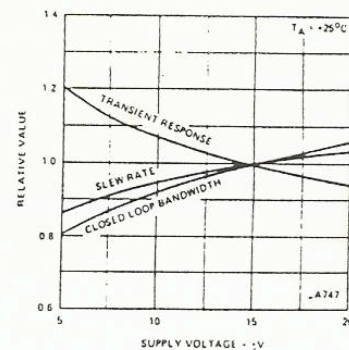
TRANSIENT RESPONSE



VOLTAGE FOLLOWER
LARGE SIGNAL PULSE
RESPONSE



FREQUENCY CHARACTERISTICS
AS A FUNCTION OF
SUPPLY VOLTAGE



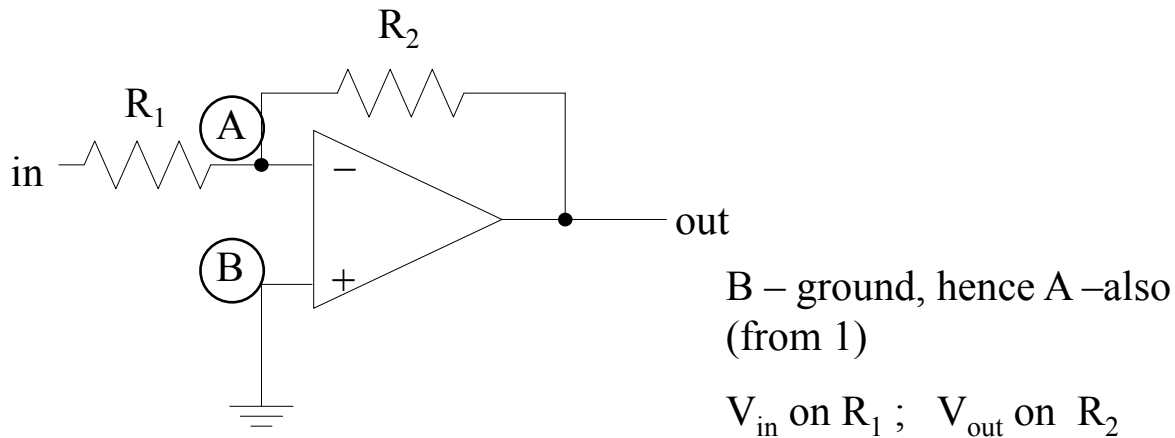
Basic Rules for Op-Amp

The so called “golden rules”, which are two simple rules for working out op-amp behavior with external feedback. They are quite universal and probably sufficient for almost everything you’ll do with op-amps. The first one is related (result) to a very high gain, and second one to very high input impedance:

1. The output attempts to do whatever is necessary to make the voltage difference between the inputs zero.
2. The inputs draw no current.

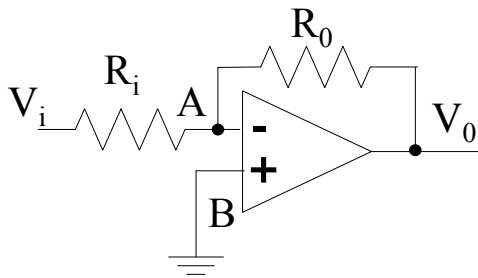
Note, that rule 1 doesn’t mean that op-amp changes input voltage (it would contradict rule 2). Its output change in such a way that feedback can bring the input differential to zero (or as close as possible to zero).

Example



From 2: $\sum I_A = 0 \rightarrow \frac{V_{in}}{R_1} + \frac{V_{out}}{R_2} = 0 \rightarrow \frac{V_{in}}{R_1} = -\frac{V_{out}}{R_2}$

Inverting and Non-Inverting Amplifiers



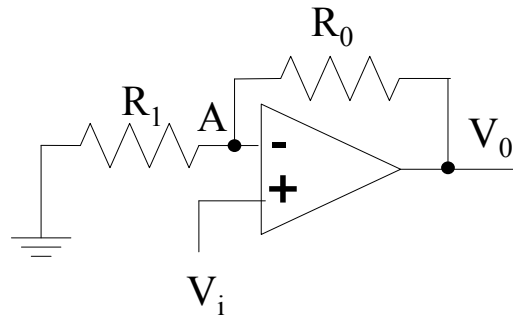
Inverting amplifier

$V_A = V_B = 0$ A-virtual ground

$$\sum I_A = 0 \Rightarrow \frac{V_0}{R_0} = -\frac{V_i}{R_i}$$

Gain: $\frac{V_0}{V_i} = -\frac{R_0}{R_i}$

Relatively low input impedance $R_i \Rightarrow Z_i$



Non-inverting amplifier

$V_A = V_i$

From voltage divider

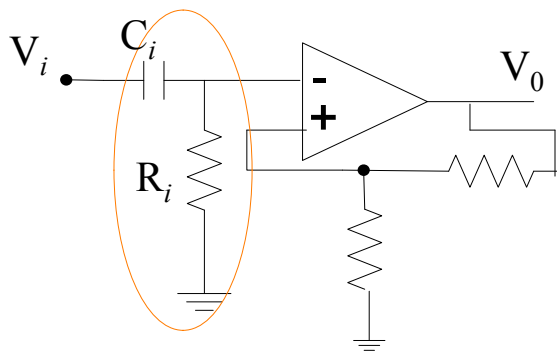
$$\frac{V_A}{R_1} = \frac{V_0}{R_1 + R_0} = \frac{V_i}{R_1}$$

Gain: $\frac{V_0}{V_i} = 1 + \frac{R_0}{R_1}$

High input impedance

Inverting and Non-Inverting Amplifiers (cont.)

These are DC amplifiers. For AC \rightarrow input through capacitor (and high resistor to ground)



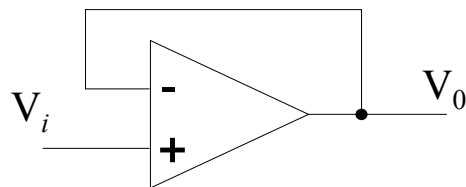
e.g.: $C_i \approx 0.1 \mu\text{F}$
 $R_i \approx 100 \text{ k}\Omega$

Voltage follower: “Buffer”

When we need high input impedance for matching low load impedance.

It is just non-inverting amplifier with $R_1 \Rightarrow \infty \Rightarrow V_0/V_i = 1$

Non-inverting voltage follower



From direct analysis:

$$V_0 = \alpha(V_i - V_0) \Rightarrow \frac{V_i}{V_0} - 1 = \frac{1}{\alpha} = 0$$

$$\frac{V_i}{V_0} = 1 \Rightarrow \boxed{V_0 = V_i}$$

$\alpha \leftarrow 10^6$

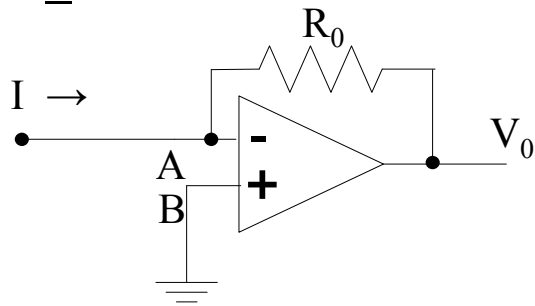
Current Amplifier/Current-to-Voltage Converter

The simplest $I \rightarrow V$ converter is \underline{R}

$V_A = 0$ (virtual ground)

$$V_A - V_0 = IR_0$$

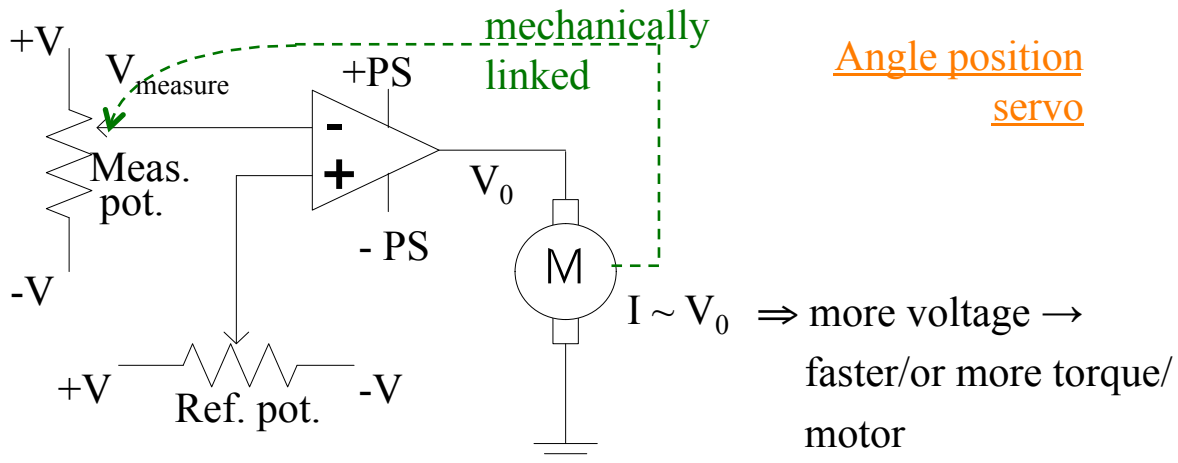
$$V_0 = -R_0 I$$



Servos

Servo means to “slave” something to something else.

We will servo potentiometer (pot) to another potentiometer using an op-amp:



O-order servo (O-approxx.)

If direction of motor rotation is such, that with increasing V_0 motor mechanically is decreasing

$V_+ - V_-$ by changing $\text{pot}_{\text{meas.}} \Rightarrow$

stable operation. Changing leads of

motor will make unstable operation. Above servo in its O-

approximation is poorly damped (like spring). Any change in ΔV cause oscillation. Add resistors for damping.

$$V_0 = \alpha(V_+ - V_-)$$

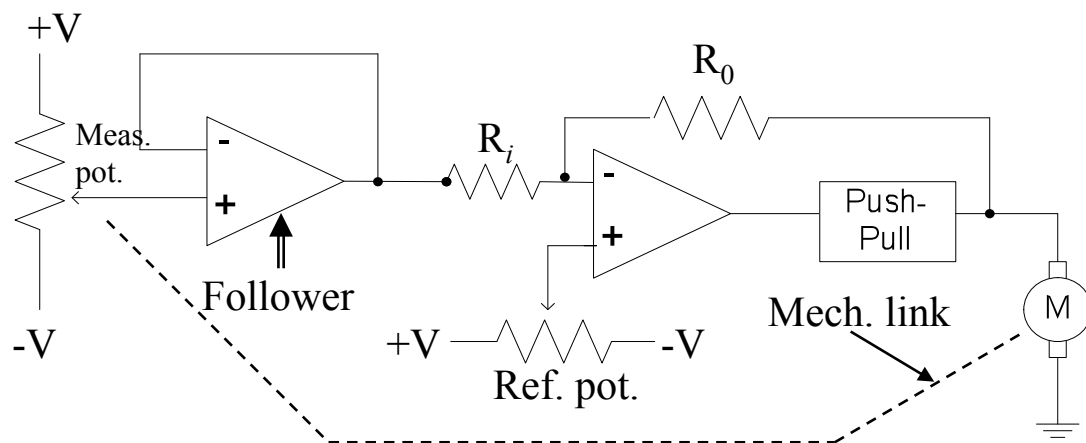
$$\alpha \sim 10^5 - 10^6$$

$$Z_{\text{input}} > 10^6 \, \Omega \text{ (like oscill.)}$$

Servo – 1st Order

Now we can use some of the devices with op-amps to improve performance of servos. We will add follower for better match impedance and push-pull for higher power in motor. We will add additional resistors for better damping.

We will make 1st order servo:



Follower → for better matching input impedance

Push-Pull → for high current (high power)

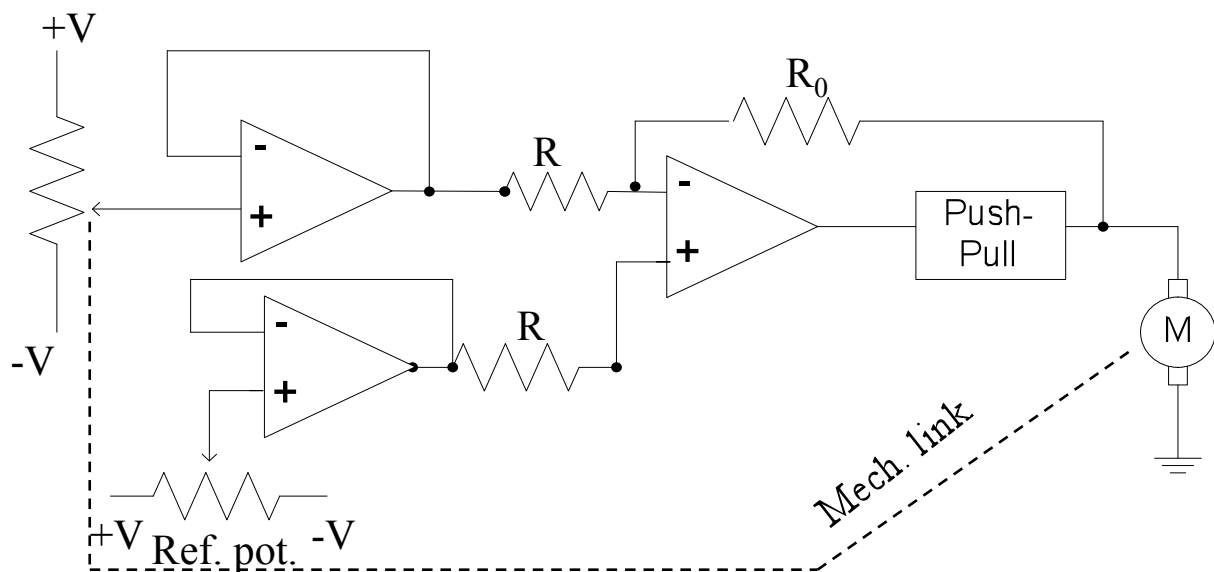
$$R_0 = 10 R_i$$

Note: it will not work at ends of limit of $V_{\text{Ref.}}$ where $V_{\text{Ref.}}$ is far from 0.

We can farther improve by adding follower in Ref. Pot. Ckt

⇒ 2nd order servo

Servo – 2nd Order



$$R_0 = 10 R$$

Laboratory:

- Build 2nd order servo.
- Measure current through motor vs. V_{Ref} .
- Remove push-pull and observe difference
- Install back push-pull and change $R_0 \rightarrow$ see effect on current in motor